

Name:

Date:

Topic:

Class:

Main Ideas/Questions

Notes/Examples

PIECEWISE FUNCTIONS

EVALUATING

*Piecewise
Functions*

1. Given $f(x) = \begin{cases} x^2 - 1 & \text{if } x < -2 \\ 5x + 3 & \text{if } x \geq -2 \end{cases}$, find each value.

a) $f(-5)$

b) $f(-2)$

c) $f(7)$

2. Given $g(x) = \begin{cases} \frac{1}{2}x + 3 & \text{if } x \leq -4 \\ -x - 1 & \text{if } -4 < x < 1 \\ 2x^3 + 9 & \text{if } x \geq 1 \end{cases}$, find each value.

a) $g(2)$

b) $g(-1)$

c) $g(-6)$

GRAPHING

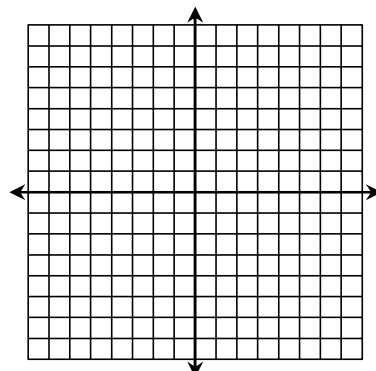
*Piecewise
Functions*

Graph each piecewise function, then identify the domain and range.

3. $f(x) = \begin{cases} x & \text{if } x \leq -3 \\ -2x + 1 & \text{if } x > -3 \end{cases}$

$$D = \underline{\hspace{2cm}}$$

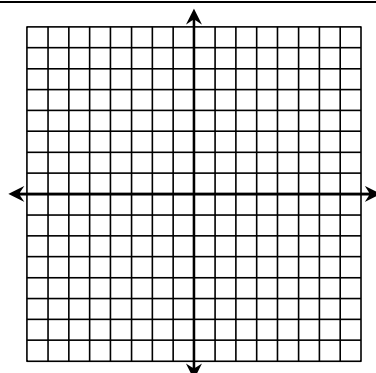
$$R = \underline{\hspace{2cm}}$$



4. $g(x) = \begin{cases} -3x - 7 & \text{if } x < -1 \\ -5 & \text{if } x \geq -1 \end{cases}$

$$D = \underline{\hspace{2cm}}$$

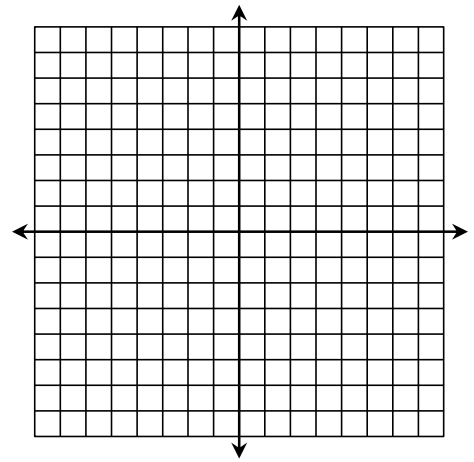
$$R = \underline{\hspace{2cm}}$$



$$5. g(x) = \begin{cases} -\frac{5}{2}x - 1 & \text{if } x < 2 \\ x + 2 & \text{if } x > 2 \end{cases}$$

$D =$ _____

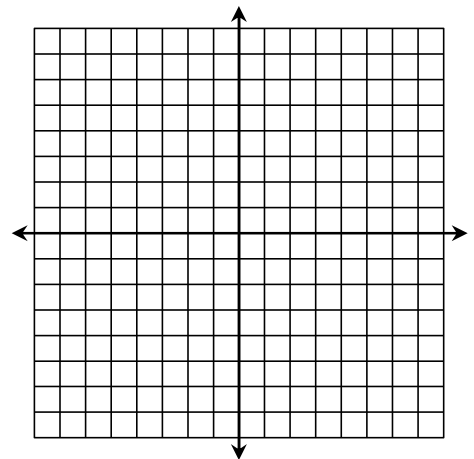
$R =$ _____



$$6. g(x) = \begin{cases} -1 & \text{if } x \leq -5 \\ -x - 3 & \text{if } -5 < x < 1 \\ 6 & \text{if } x \geq 1 \end{cases}$$

$D =$ _____

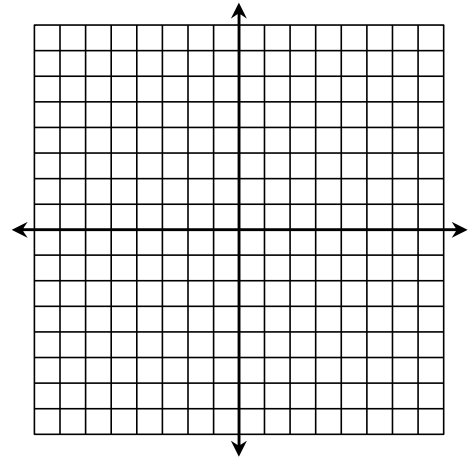
$R =$ _____



$$7. f(x) = \begin{cases} 2x & \text{if } x \leq -2 \\ -1 - x & \text{if } -2 < x < 4 \\ -3 & \text{if } x \geq 4 \end{cases}$$

$D =$ _____

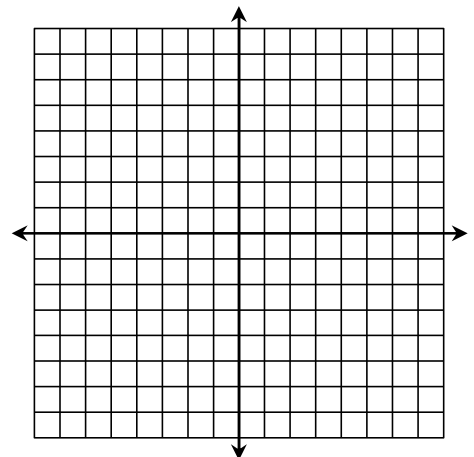
$R =$ _____



$$8. h(x) = \begin{cases} -3x & \text{if } x < 0 \\ -\frac{1}{2}x - 1 & \text{if } 0 \leq x < 6 \\ x - 7 & \text{if } x > 6 \end{cases}$$

$D =$ _____

$R =$ _____



Name:

Date:

Topic:

Class:

Main Ideas/Questions

Notes/Examples

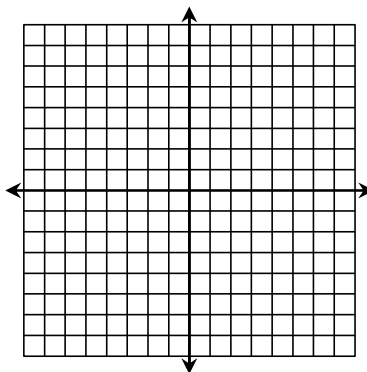
ABSOLUTE VALUE

Functions

- The **absolute value function** is written as _____

- Complete the table below to graph the function. Give the domain and range.

x	$ x $
-3	
-2	
-1	
0	
1	
2	
3	

 $D =$ _____ $R =$ _____

- The **graph** looks like a _____; The **turning point** is called the _____.

GRAPHING

by Table

To create a table of values, it's best to place the vertex in the middle, then include values on both sides.

①

Find the **x -value of the vertex**. Set the expression from the inside of the absolute value bars equal to 0 and solve.

②

PLACE THIS VALUE IN THE MIDDLE ROW OF YOUR TABLE.
Number up and down, then complete the table.

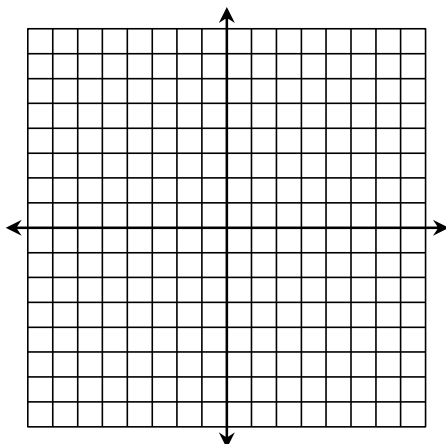
③

GRAPH!

Directions: Graph each function. Give the domain and range.

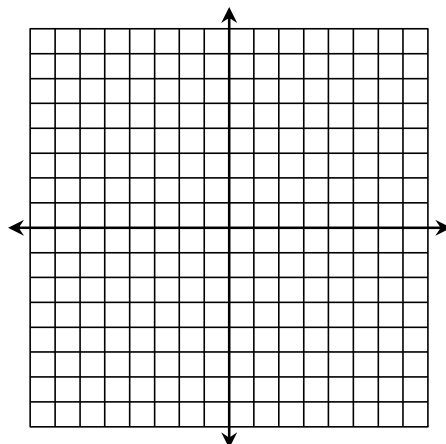
1. $f(x) = |x - 4|$

x	$f(x)$

 $D =$ _____ $R =$ _____

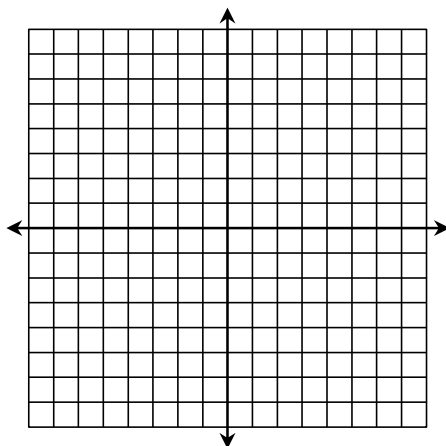
2. $f(x) = |2x + 6|$

x	$f(x)$

 $D =$ _____ $R =$ _____

3. $f(x) = |x| + 5$

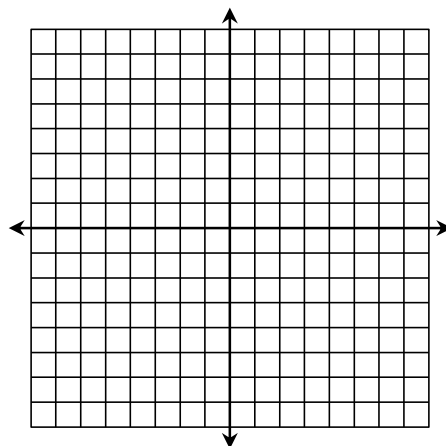
x	$f(x)$



$D =$ _____ $R =$ _____

4. $f(x) = |3x + 2|$

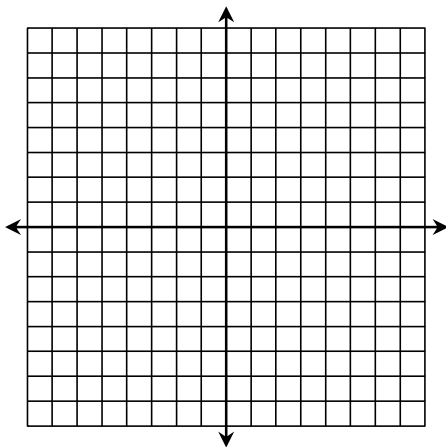
x	$f(x)$



$D =$ _____ $R =$ _____

5. $f(x) = -|x + 1|$

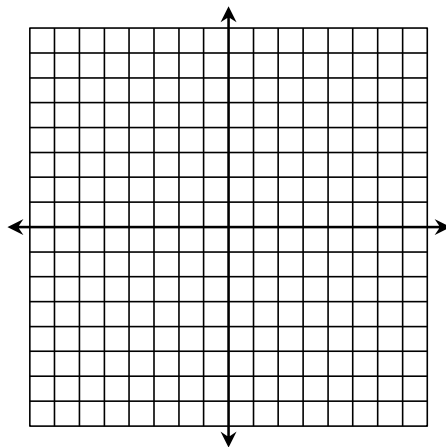
x	$f(x)$



$D =$ _____ $R =$ _____

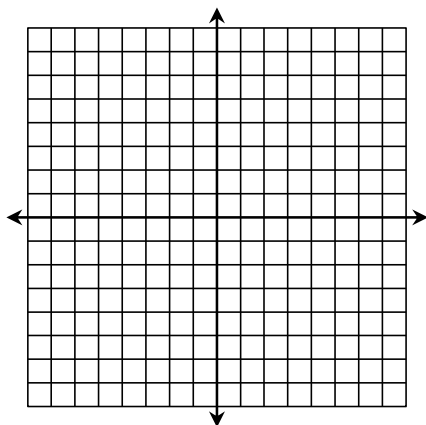
6. $f(x) = \left| \frac{1}{2}x + 1 \right| - 4$

x	$f(x)$



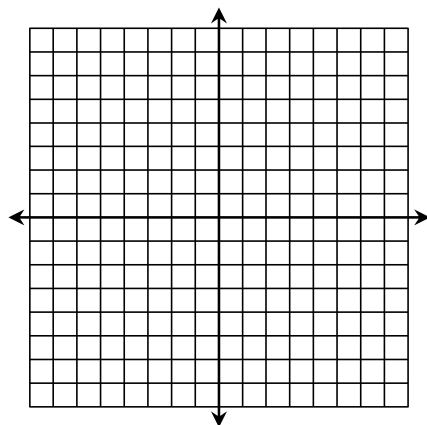
$D =$ _____ $R =$ _____

7. $f(x) = \begin{cases} -2x + 1 & \text{if } x < 4 \\ |x - 3| & \text{if } x \geq 4 \end{cases}$



$D =$ _____ $R =$ _____

8. $f(x) = \begin{cases} |2x| - 4 & \text{if } x \leq -3 \\ -5 & \text{if } -3 < x < 2 \\ x - 2 & \text{if } x \geq 2 \end{cases}$



$D =$ _____ $R =$ _____

Name:

Date:

Topic:

Class:

Main Ideas/Questions

Notes/Examples

GRAPHING ABSOLUTE VALUE *inequalities*

①

Create a **TABLE OF VALUES**. Recall that the vertex should be in the middle row.

②

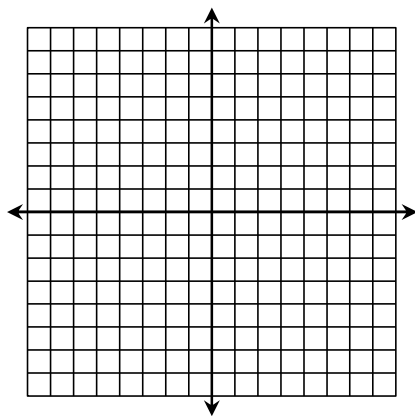
GRAPH! Use a dashed line for $<$ and $>$ symbols and a solid line for $\leq$ and $\geq$ symbols.

③

SHADE! Assuming y is to the left, shade above the line for $>$ or $\geq$ symbols and below the line for $<$ or $\leq$ symbols.**Directions:** Graph each inequality.

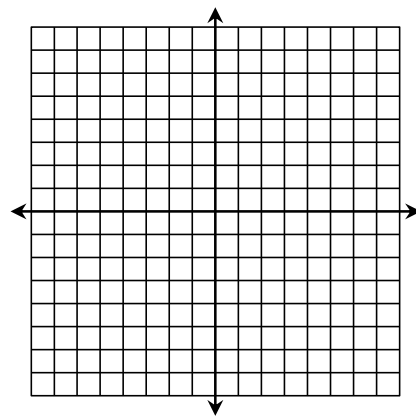
1. $y < |x + 1|$

x	y



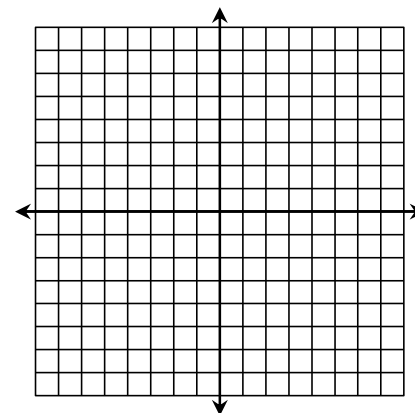
2. $y \geq |x - 5| - 2$

x	y



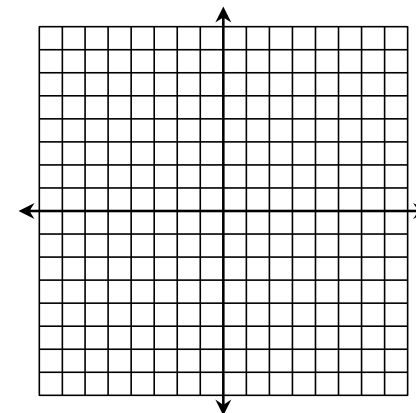
3. $y > |4x + 6|$

x	y



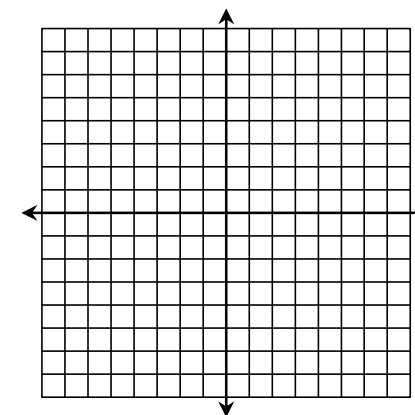
4. $y \leq -|2x| + 3$

x	y



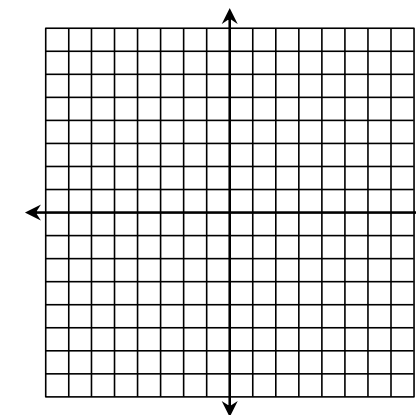
5. $y \geq |2x - 12| - 7$

x	y

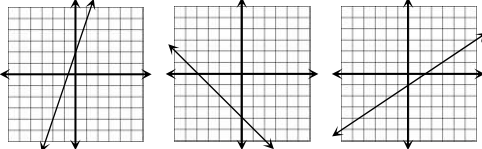
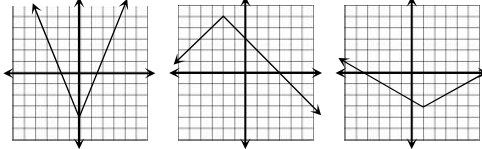
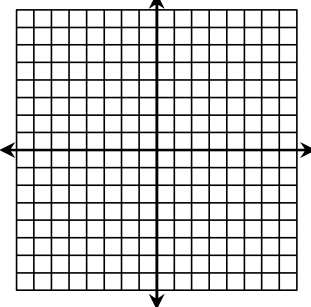
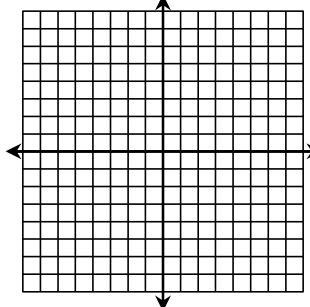


6. $y < -|3x + 9| + 4$

x	y



Name:	Date:
Topic:	Class:

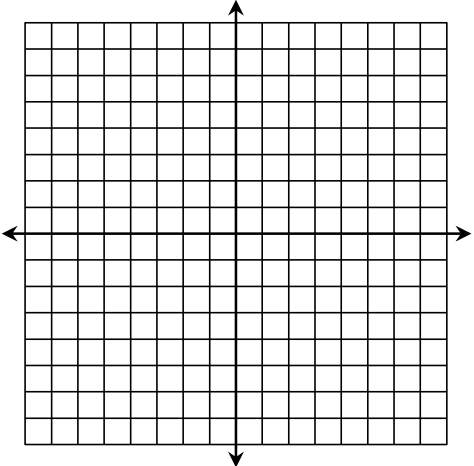
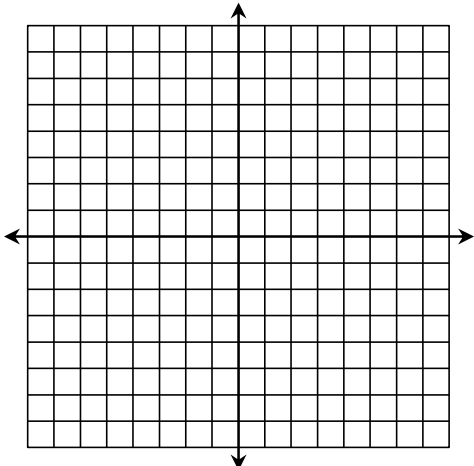
Main Ideas/Questions	Notes/Examples
FUNCTION FAMILY	A family of functions (or function family) is a set of functions whose equations and graphs have a similar form and shape.
	Name the function family for each set of graphs.
	1.  2. 
PARENT FUNCTION	A parent function is the simplest function of the family.
	Give the parent function for each function family. Then graph the function.
	LINEAR: _____  ABSOLUTE VALUE: _____ 
TRANSFORMATIONS	A transformation changes the position or size of a figure. Transformations can be applied to parent functions.
	Let's use the absolute value function as an example. Using your calculator, graph the following functions, then compare to the parent function. Give a brief description.
	3. $f(x) = x + 2$ 4. $f(x) = x - 2$
	5. $f(x) = x + 2$ 6. $f(x) = x - 2$
	7. $f(x) = 2 x$ 8. $f(x) = \frac{1}{2} x$
	9. $f(x) = - x$
<i>Types of</i> TRANSFORMATIONS	- A _____ slides (or shifts) a function. - A _____ stretches or compresses a function. - A _____ flips a function.

TRANSFORMATION <i>Rules</i>	We can tell from the function which transformation(s) from the parent function have taken place using the following rules:	
	TRANSLATIONS	$f(x + h)$
		$f(x - h)$
		$f(x) + k$
		$f(x) - k$
	DILATIONS	$a \cdot f(x)$ (when $ a > 1$)
		$a \cdot f(x)$ (when $ a < 1$)
	REFLECTIONS	$-f(x)$
IDENTIFYING <i>Transformations</i>	Describe how the following functions compare to the parent function.	
	10. $f(x) = x - 3$	11. $f(x) = x + 7 $
	12. $f(x) = - x - 4 $	13. $f(x) = 4 x + 1$
	14. $f(x) = \frac{1}{3} x $	15. $f(x) = x + 2 - 5$
	16. $f(x) = -2 x - 1 $	17. $f(x) = \frac{4}{3} x + 2$
WRITING <i>Functions</i>	Transformations to the absolute value parent function are described. Write the new function.	
	18. Translated 6 units right.	
	19. Reflected in the x -axis, then translated 2 units up.	
	20. Vertically stretched by a factor of 5, then translated 1 unit left.	
	21. Translated 3 units right and 4 units down.	
	22. Vertically compressed by a factor of $\frac{2}{3}$, then reflected in the x -axis.	
	23. Vertically stretched by a factor of 2, then translated 9 units down.	
	24. Vertically compressed by a factor of $\frac{1}{4}$, then shifted 1 unit left.	

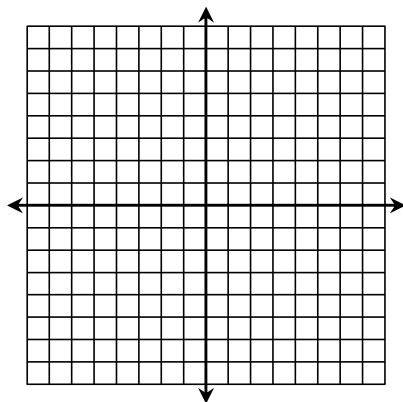
Name:	Date:
Topic:	Class:

Main Ideas/Questions	Notes/Examples
WARM-UP	1. What is the parent function of the absolute value function family? 2. Describe how the following functions compare to the parent function: a) $f(x) = x - 5$ b) $f(x) = x + 9$ c) $f(x) = - x$ d) $f(x) = 3 x - 2$ e) $f(x) = \frac{1}{4} x + 6$ f) $f(x) = - x + 7 - 2$
	The horizontal and vertical shifts describe the location of the vertex!
VERTEX FORM <i>of an Absolute Value Function</i>	The vertex form of an absolute value function is written as where _____ is the vertex, _____ is the slope on the right side and _____ is the slope on the left side

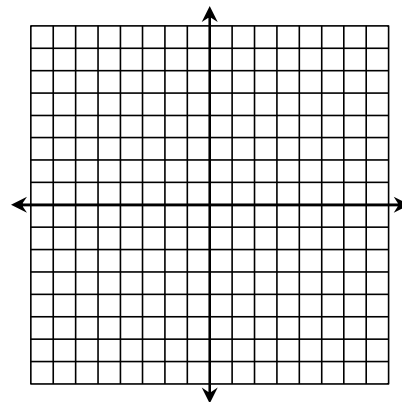
Directions: Give the vertex of each absolute value function. Then graph.

1. $f(x) = x - 2 - 4$ 	2. $f(x) = 3 x + 5$ 
---	--

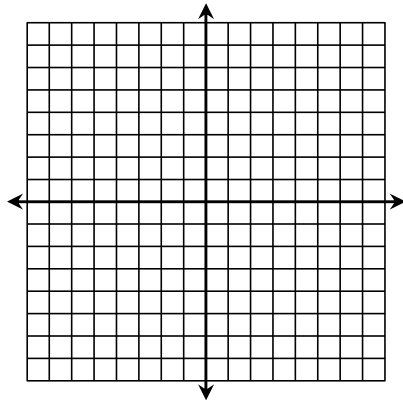
3. $f(x) = 2|x+1| - 2$



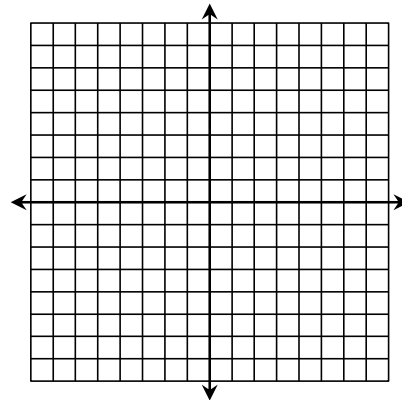
4. $f(x) = -|x-6|$



5. $f(x) = \frac{2}{3}|x+1| - 1$

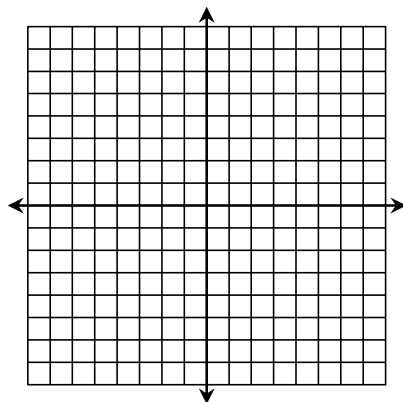


6. $f(x) = -\frac{3}{4}|x| + 7$

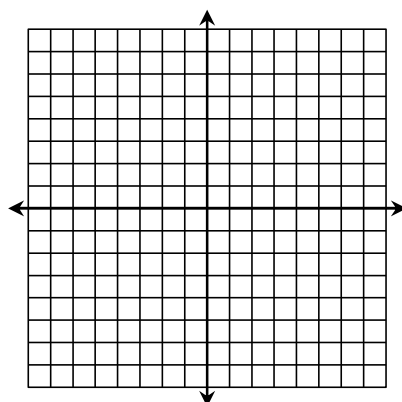


Directions: Graph each piecewise function.

7. $f(x) = \begin{cases} 2x+7 & \text{if } x < -4 \\ 2|x+3| & \text{if } x \geq -4 \end{cases}$

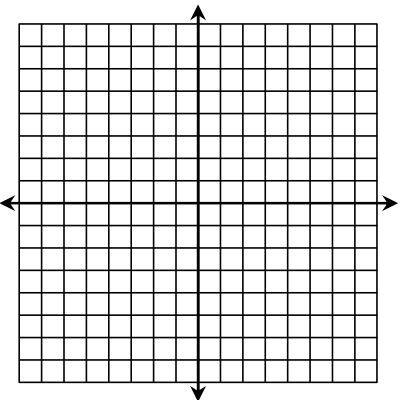


8. $f(x) = \begin{cases} -|x+1|+5 & \text{if } x \leq -4 \\ 3 & \text{if } -4 < x < 2 \\ -x+7 & \text{if } x \geq 2 \end{cases}$

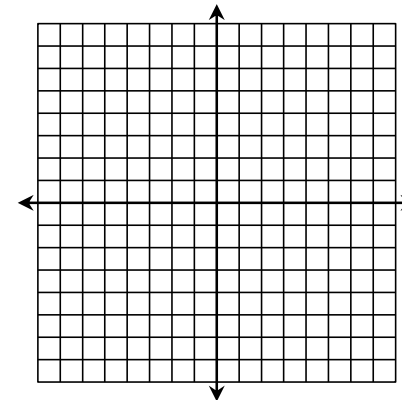


Directions: Graph each absolute value inequality by identifying the vertex.

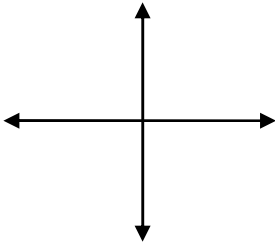
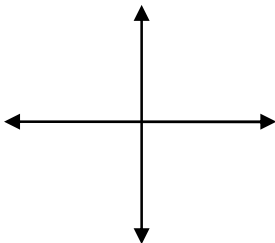
9. $y \leq |x+4| - 6$



10. $y > -2|x-5| + 4$



Name:	Date:
Topic:	Class:

Main Ideas/Questions	Notes/Examples
QUADRATIC FUNCTION	- Standard Form of a Quadratic Equation: _____ - A quadratic equation creates a U-shaped curve called a parabola.
Examples	Using your graphing calculator, sketch the following functions: $f(x) = x^2 + 2x - 5$  $f(x) = -x^2 + 3x + 7$  If "a" is positive, then the parabola will open up. If "a" is negative, then the parabola will open down.
Parts of a PARABOLA	- The vertical line that divides the parabola into two equal parts is called the axis of symmetry. Axis of Symmetry Formula: _____ - The turning point of the parabola is called the vertex. When the vertex is the lowest point, it's called a minimum, when it's the highest point, it's called a maximum. Label these parts on the graphs above.
Directions: Determine whether each function has a minimum or maximum. Then find the axis of symmetry and vertex.	
1. $f(x) = 4x^2$ Minimum / Maximum Axis of Symmetry: _____ Vertex: _____	2. $f(x) = -x^2 + 6x$ Minimum / Maximum Axis of Symmetry: _____ Vertex: _____
3. $f(x) = -2x^2 + 7$ Minimum / Maximum Axis of Symmetry: _____ Vertex: _____	4. $f(x) = x^2 - 8x + 9$ Minimum / Maximum Axis of Symmetry: _____ Vertex: _____

GRAPHING

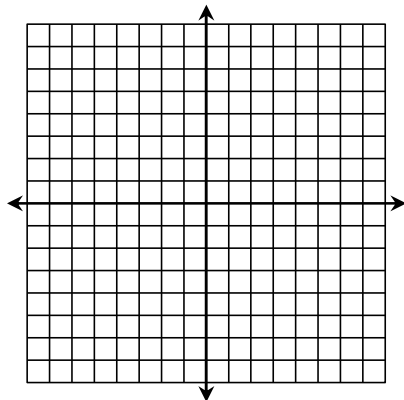
by Table

- ① Find the **AXIS OF SYMMETRY** and **VERTEX**.
- ② **PLACE THE VERTEX AS THE MIDDLE ROW.**
Number up and down, then complete the table.
- ③ **GRAPH!**

Directions: Graph each function. State the domain and range.

5. $f(x) = -3x^2$

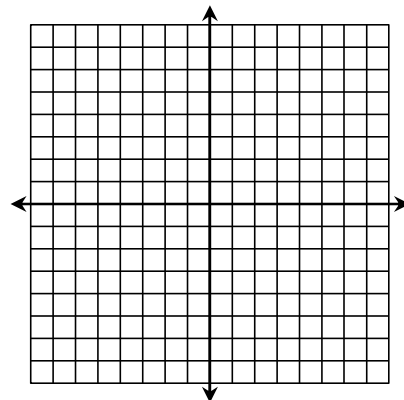
x	$f(x)$



$D =$ _____ $R =$ _____

6. $f(x) = x^2 - 6x + 11$

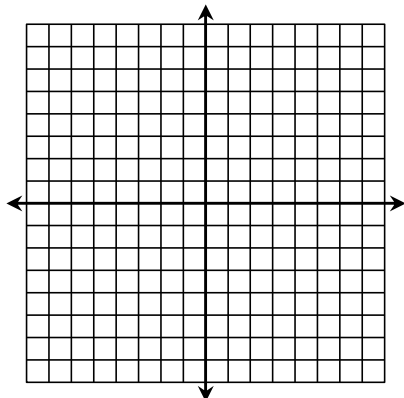
x	$f(x)$



$D =$ _____ $R =$ _____

7. $f(x) = 2x^2 - 8x + 6$

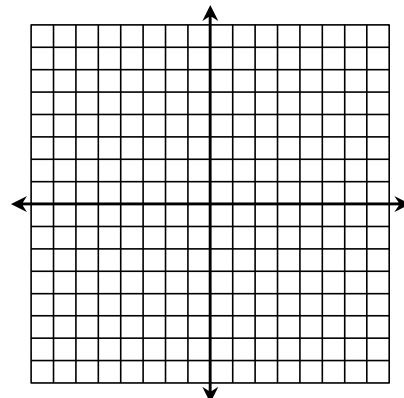
x	$f(x)$



$D =$ _____ $R =$ _____

8. $f(x) = -x^2 + 5$

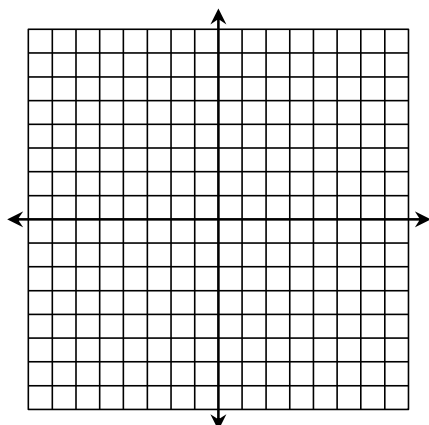
x	$f(x)$



$D =$ _____ $R =$ _____

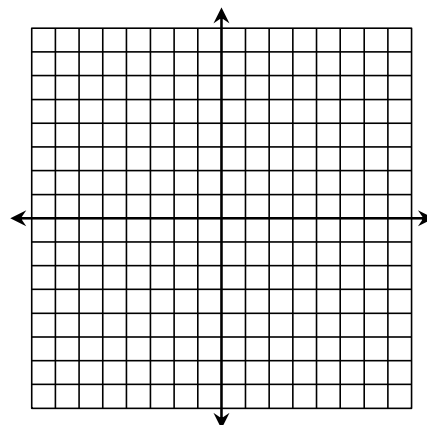
9. $f(x) = -\frac{1}{2}x^2 - x$

x	$f(x)$



$D =$ _____ $R =$ _____

10. $f(x) = \begin{cases} 2x + 5 & \text{if } x < -4 \\ x^2 + 3x & \text{if } x \geq -4 \end{cases}$



$D =$ _____ $R =$ _____

Name:

Date:

Topic:

Class:

Main Ideas/Questions

Notes/Examples

GRAPHING QUADRATIC

inequalities

①

Create a **TABLE OF VALUES**. Recall that the vertex should be in the middle row.

②

GRAPH! Use a dashed line for $<$ and $>$ symbols and a solid line for $\leq$ and $\geq$ symbols.

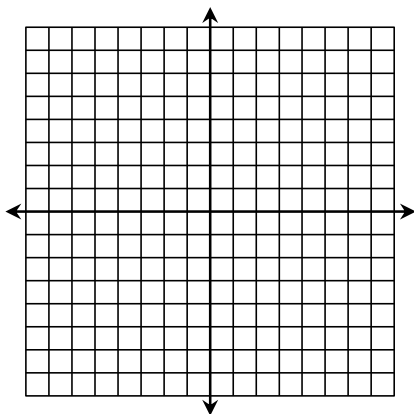
③

SHADE! Assuming y is to the left, shade above the line for $>$ or $\geq$ symbols and below the line for $<$ or $\leq$ symbols.

Directions: Graph each inequality.

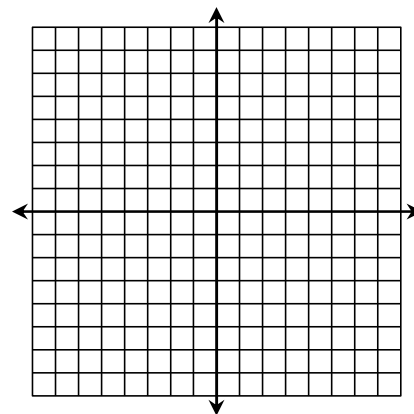
1. $y > x^2 + 2x - 2$

x	y



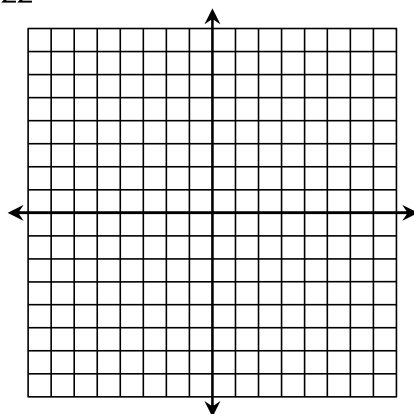
2. $y \leq -x^2 + 4x - 1$

x	y



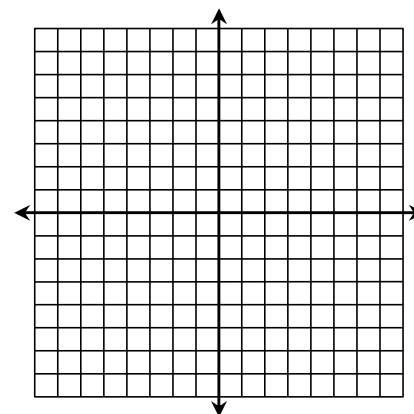
3. $y \geq -3x^2 + 18x - 22$

x	y



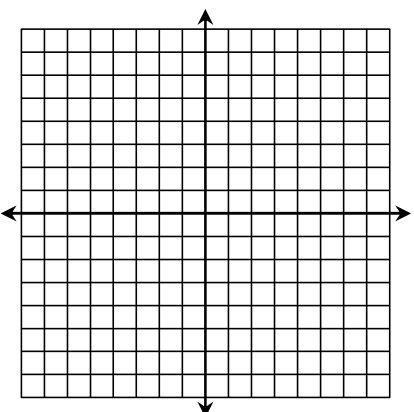
4. $y < x^2 + 6$

x	y



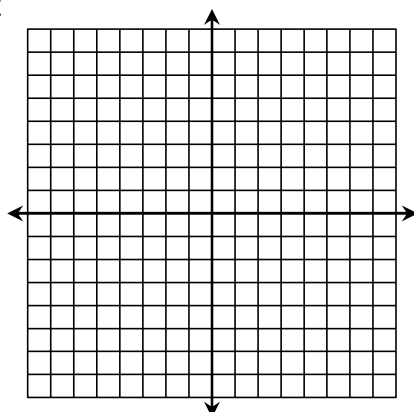
5. $y \leq -2x^2 - 2x$

x	y



6. $y > \frac{1}{2}x^2 - 4x + 12$

x	y



Name:	Date:
Topic:	Class:

Main Ideas/Questions	Notes/Examples
VERTEX FORM <i>of a Quadratic Function</i>	• Vertex Form of a Quadratic Equation: _____ • _____ is the vertex; _____ is the axis of symmetry • _____ determines the width and direction of the parabola
WHY USE <i>Vertex Form?</i>	Vertex form shows the _____ on a quadratic equation in respect to its parent function, _____.
TRANSFORMATIONS <i>from the Parent Function</i>	Describe how each function compares to the parent function. 1) $f(x) = x^2 + 9$ 2) $f(x) = x^2 - 2$ 3) $f(x) = -(x + 5)^2$ 4) $f(x) = (x - 4)^2 - 1$ 5) $f(x) = \frac{1}{3}x^2 + 2$ 6) $f(x) = -2(x + 4)^2$ 7) Mason graphed the parent function of a quadratic equation. Then, he reflected the parabola over the x-axis, and translated it seven units up and three units to the right. What is the equation of the new parabola?

Directions: Give the vertex and axis of symmetry of each quadratic function. Then graph.

8. $f(x) = (x - 2)^2 + 3$

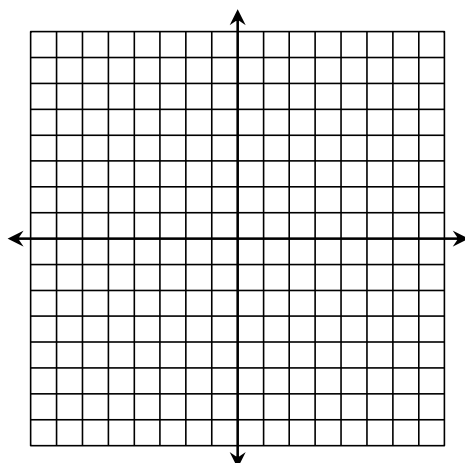
x	$f(x)$

9. $f(x) = x^2 - 4$

x	$f(x)$

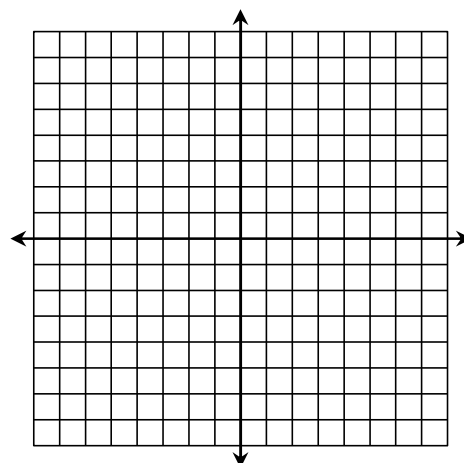
10. $f(x) = -(x+5)^2 - 1$

x	$f(x)$



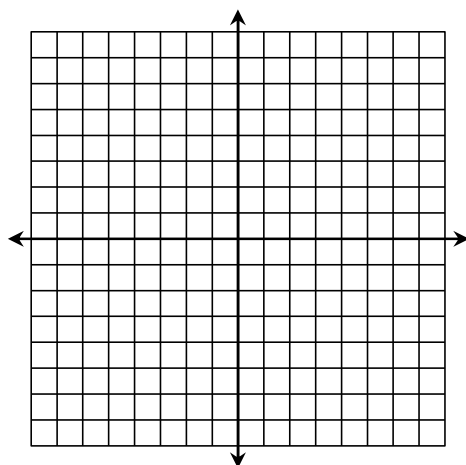
11. $f(x) = 3(x-4)^2$

x	$f(x)$

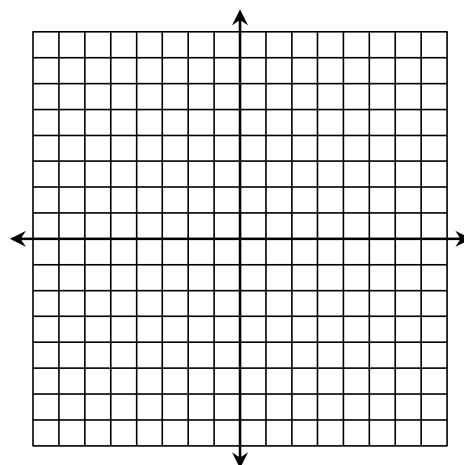


Directions: Graph each piecewise function.

12. $f(x) = \begin{cases} -\frac{1}{2}x - 6 & \text{if } x < -2 \\ (x-1)^2 - 5 & \text{if } x > -2 \end{cases}$



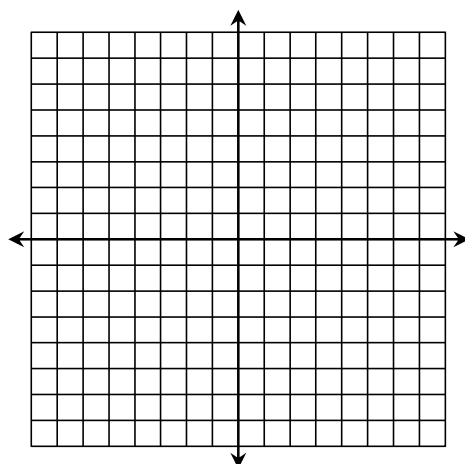
13. $f(x) = \begin{cases} -2x^2 + 6 & \text{if } x \leq 1 \\ -3x + 4 & \text{if } x > 1 \end{cases}$



Directions: Give the vertex and axis of symmetry of each quadratic inequality. Then graph.

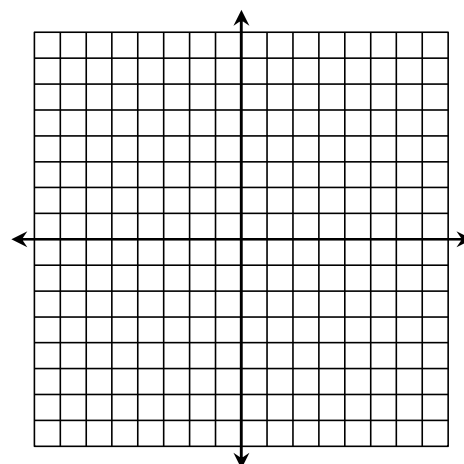
14. $y < -(x-3)^2$

x	$f(x)$



15. $y \geq 4(x+1)^2 - 7$

x	$f(x)$



Name:	Date:
Topic:	Class:

Main Ideas/Questions	Notes/Examples	
ALGEBRA I REVIEW: <i>Perfect Square Trinomials</i>	A trinomial of the form $ax^2 + bx + c$ where _____. Factor the following trinomials: • $x^2 + 8x + 16 =$ _____ • $m^2 - 18m + 81 =$ _____ • $a^2 + 2a + 1 =$ _____ • $p^2 - 10p + 25 =$ _____	
	If the standard form equation is a perfect square (like ex. 1), simply factor to convert to vertex form. If not, you can use a process called completing the square to write the equation in vertex form.	
STANDARD FORM $f(x) = ax^2 + bx + c$  VERTEX FORM $f(x) = a(x - h)^2 + k$	①	GROUP $(ax^2 + bx)$
	②	If $a \neq 1$, FACTOR it outside so it becomes $a(x^2 + bx)$
	③	COMPLETE THE SQUARE by taking half of b and square it. This is the new " c ". Add this to " $x^2 + bx$ ". This is the perfect square trinomial.
	④	SUBTRACT $a \cdot c$ from the end of the equation.
	⑤	FACTOR the trinomial and SIMPLIFY the end of the equation.
Directions: Write each function in vertex form. Give the vertex.		
1. $f(x) = x^2 + 4x + 4$	2. $f(x) = x^2 - 8x + 18$	
3. $f(x) = -x^2 + 6x - 5$	4. $f(x) = 2x^2 - 12x + 13$	

5. $f(x) = x^2 - 3x - 2$

6. $f(x) = -x^2 - 9x - 22$

7. $f(x) = x^2 + 5x$

8. $f(x) = 4x^2 - 8x$

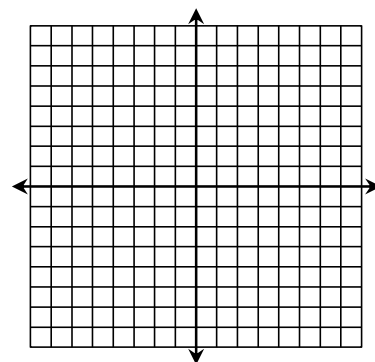
9. $f(x) = -2x^2 + 20x - 46$

10. $f(x) = -\frac{1}{2}x^2 - 4x - 5$

Directions: Convert to vertex form. Identify the vertex, axis of symmetry, then graph.

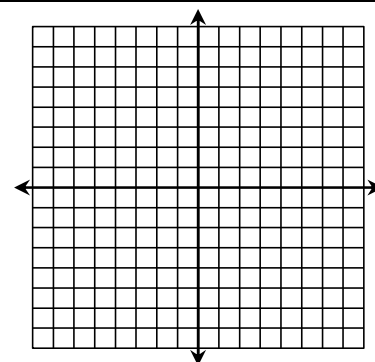
11. $f(x) = x^2 - 12x + 39$

x	$f(x)$



12. $f(x) = -3x^2 - 12x - 8$

x	$f(x)$

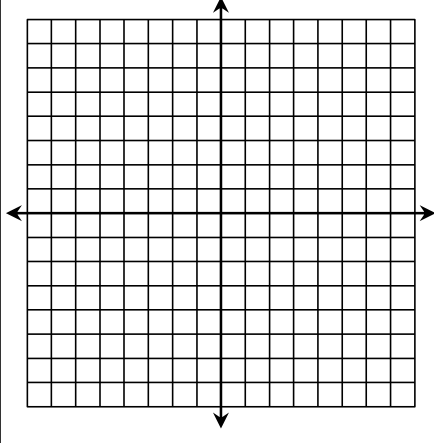


QUADRATIC FUNCTIONS

PARENT FUNCTION:

- Creates a U-shape curve called a _____.
- The _____ is a vertical line that divides the parabola into two equal parts.
- The turning point is called the _____.

x	$f(x)$



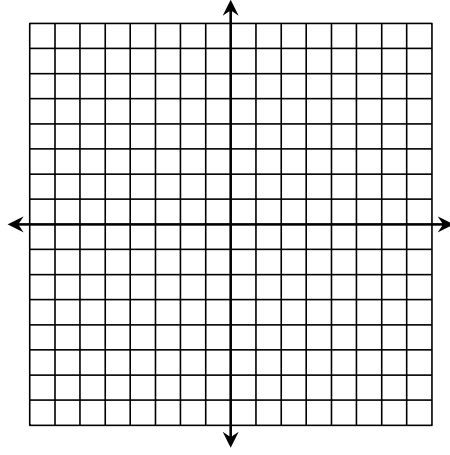
STANDARD FORM:

Axis of Symmetry: _____

Plug back in to find the vertex!

EXAMPLE: $y = x^2 - 4x + 1$

x	$f(x)$



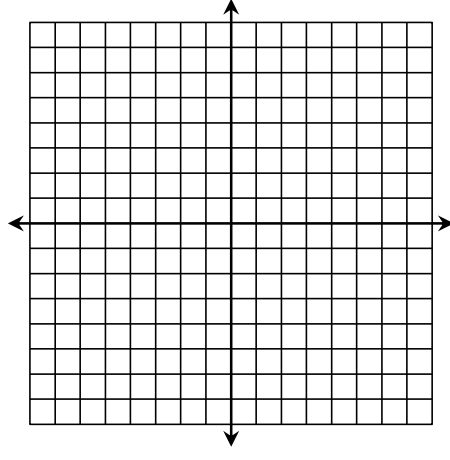
VERTEX FORM:

Axis of Symmetry: _____

Vertex: _____

EXAMPLE: $y = -2(x + 1)^2 + 6$

x	$f(x)$



Name:	Date:
Topic:	Class:

Main Ideas/Questions	Notes/Examples			
INCREASING & DECREASING Intervals	Moving from left to right, a function may increase, decrease, or remain constant on certain intervals. For example, the function to the right is increasing on the interval _____. constant on the interval _____. decreasing on the interval _____.			
	EXAMPLES	Identify the intervals on which each function increases or decreases.		
1.		2.		
Increasing Interval(s): Decreasing Interval(s):		Increasing Interval(s): Decreasing Interval(s):		
3.		4.		
Increasing Interval(s): Decreasing Interval(s):		Increasing Interval(s): Decreasing Interval(s):		
5.		6.		
Increasing Interval(s): Decreasing Interval(s):		Increasing Interval(s): Decreasing Interval(s):		

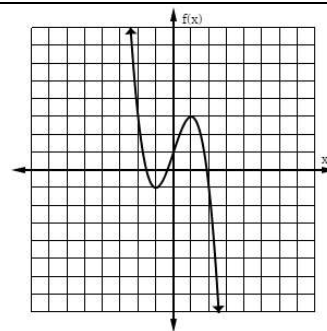
END BEHAVIOR

As x moves towards positive infinity and negative infinity, end behavior describes what is happening to the value of $f(x)$.

Describe the end behavior of the graph to the right:

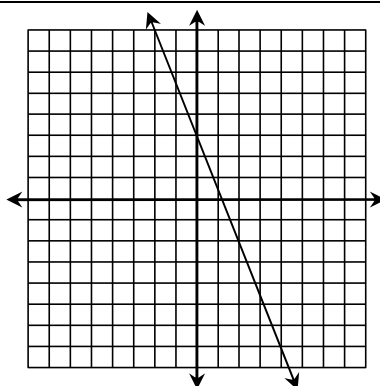
As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____



Describe the end behavior of each function.

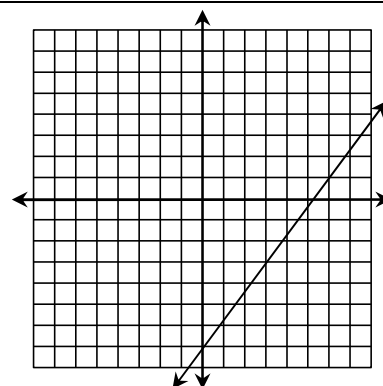
7.



As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

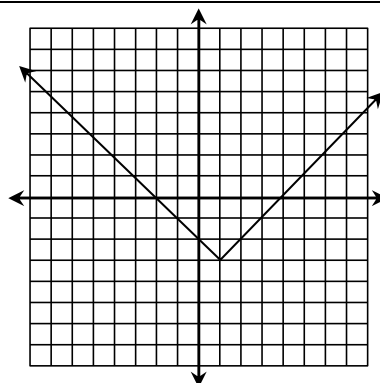
8.



As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

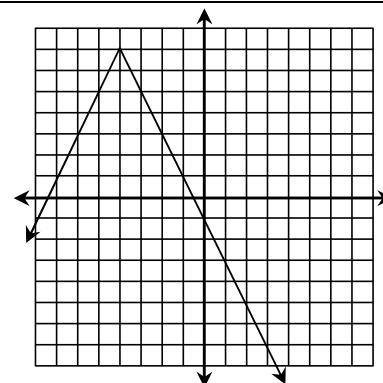
9.



As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

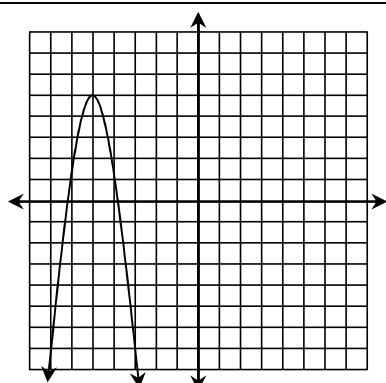
10.



As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

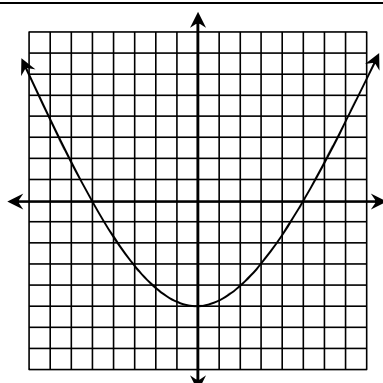
11.



As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

12.



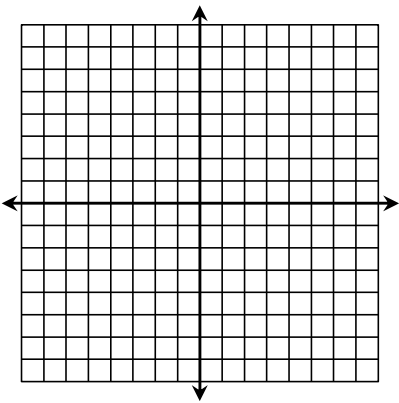
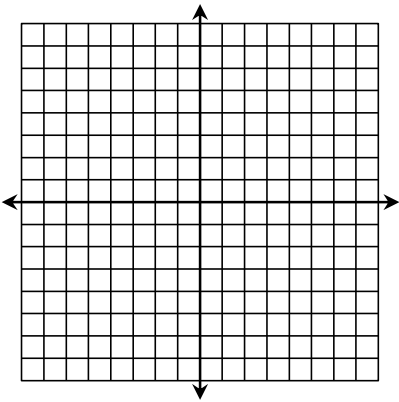
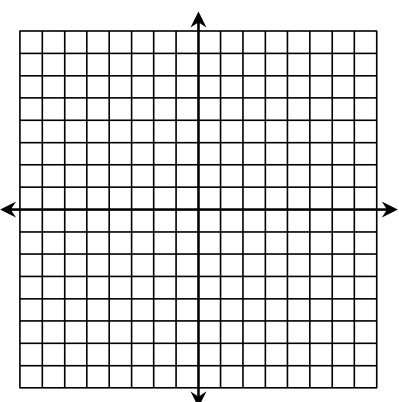
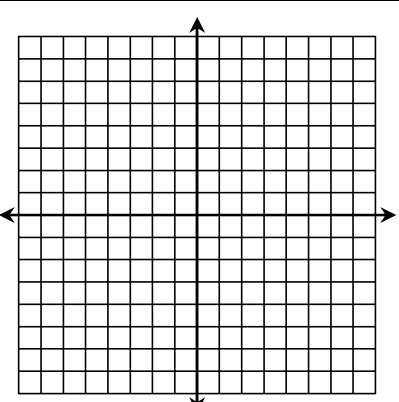
As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

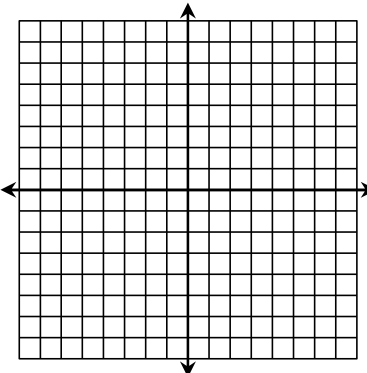
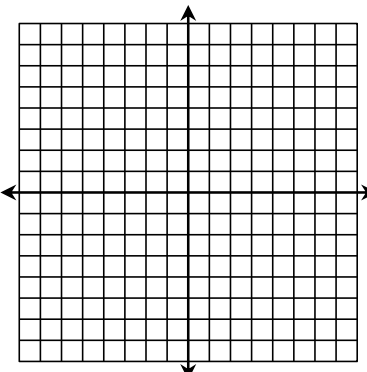
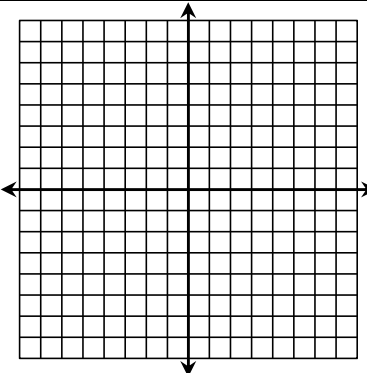
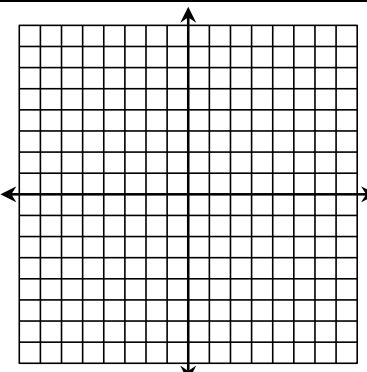
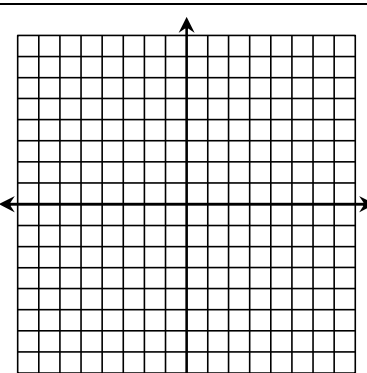
As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

PARENT FUNCTIONS

A **parent function** is the simplest function of the family.

A **family of graphs** displays similar characteristics.

PARENT FUNCTION	GRAPH	CHARACTERISTICS
LINEAR 		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Interval(s): _____
ABSOLUTE VALUE 		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Interval(s): _____
QUADRATIC 		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Interval(s): _____
CUBIC 		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Interval(s): _____

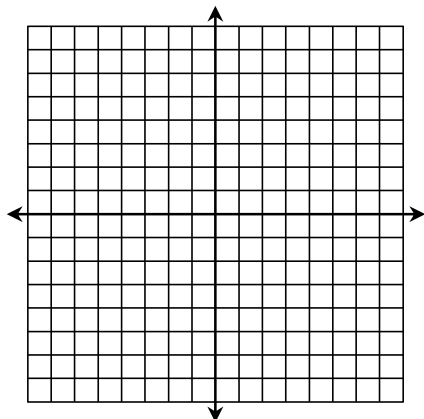
SQUARE ROOT		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Intervals(s): _____
CUBE ROOT		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Intervals(s): _____
RECIPROCAL		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Intervals(s): _____ • Asymptote(s): _____
EXPONENTIAL		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Intervals(s): _____ • Asymptote(s): _____
LOGARITHMIC		• D: _____; R: _____ • x-intercept: _____; y-intercept: _____ • End Behavior: As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ As $x \rightarrow$ _____, $f(x) \rightarrow$ _____ • Increasing Interval(s): _____ • Decreasing Intervals(s): _____ • Asymptote(s): _____

FUNCTION FAMILIES REVIEW

{Linear, Absolute Value, and Quadratic}

Graph each function, then identify the characteristics.

1. $f(x) = -3x + 5$



Function Family: _____

Parent Function: _____

D: _____; R: _____

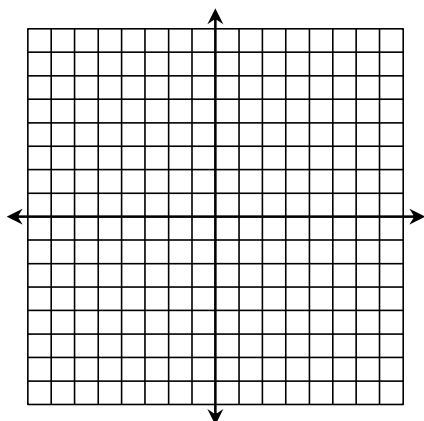
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

2. $f(x) = |x - 1| - 4$



Function Family: _____

Parent Function: _____

D: _____; R: _____

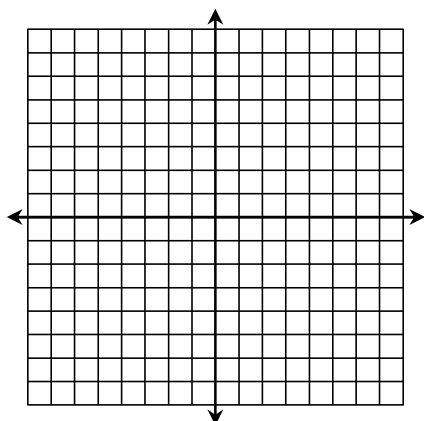
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

3. $f(x) = -x^2 + 8x - 11$



Function Family: _____

Parent Function: _____

D: _____; R: _____

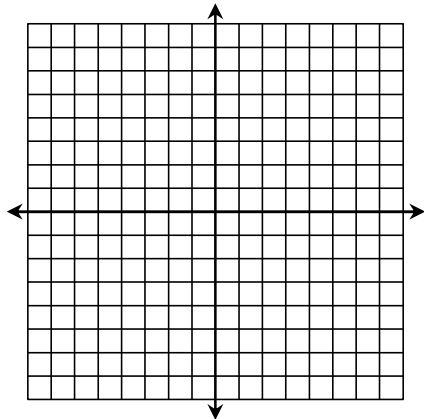
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

4. $f(x) = -|x| + 6$



Function Family: _____

Parent Function: _____

D: _____; R: _____

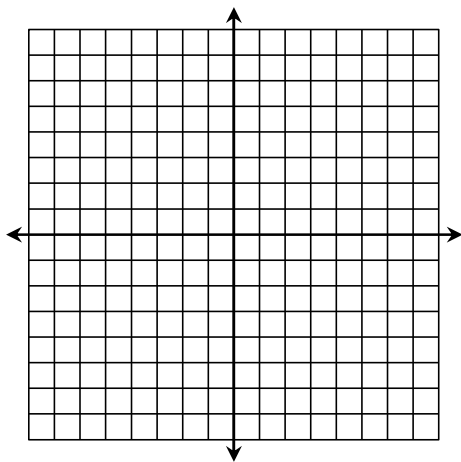
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

5. $f(x) = 2(x+2)^2 - 7$



Function Family: _____

Parent Function: _____

D: _____; R: _____

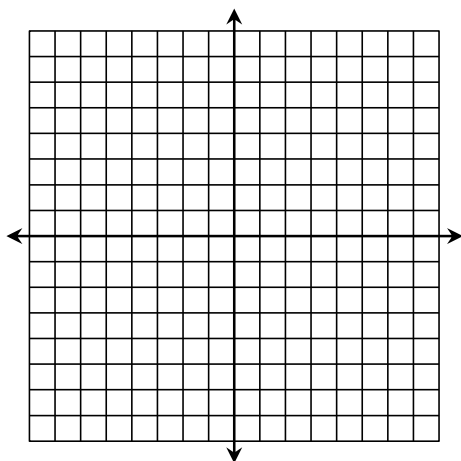
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

6. $f(x) = \frac{5}{2}x - 1$



Function Family: _____

Parent Function: _____

D: _____; R: _____

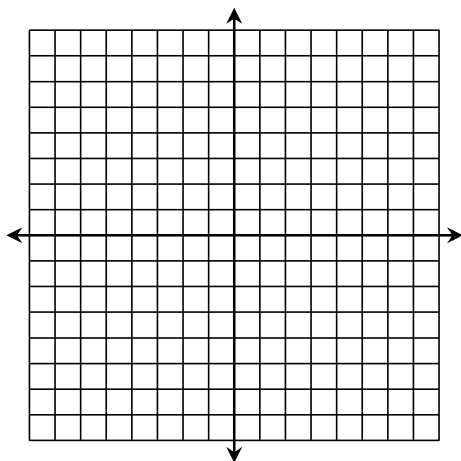
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

7. $f(x) = -(x-5)^2 + 6$



Function Family: _____

Parent Function: _____

D: _____; R: _____

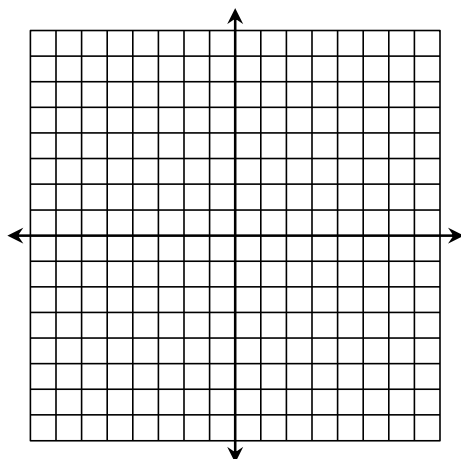
End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____

8. $f(x) = \frac{1}{2}|x+3| + 3$



Function Family: _____

Parent Function: _____

D: _____; R: _____

End Behavior: As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Increasing Interval(s): _____

Decreasing Interval(s): _____